

Sums ( $\Sigma$ ) of the number (#) of PRIME Partitions — PPsets — for each successive EVEN #							
EVEN: $\Sigma$	EVEN: $\Sigma$	EVEN: $\Sigma$	EVEN: $\Sigma$	EVEN: $\Sigma$	EVEN: $\Sigma$	EVEN: $\Sigma$	EVEN: $\Sigma$
1082: 20	1202: 19	1322: 21	1442: 27	1562: 29	1682: 24	1802: 31	1922: 30
1084: 21	1204: 28	1324: 26	1444: 28	1564: 28	1684: 31	1804: 31	1924: 34
1086: 39	1206: 43	1326: 53	1446: 45	1566: 51	1686: 56	1806: 72	1926: 58
1088: 18	1208: 20	1328: 22	1448: 20	1568: 25	1688: 26	1808: 28	1928: 30
1090: 26	1210: 32	1330: 41	1450: 36	1570: 38	1690: 37	1810: 36	1930: 39
1092: 48	1212: 42	1332: 47	1452: 49	1572: 57	1692: 57	1812: 53	1932: 68
1094: 23	1214: 22	1334: 25	1454: 26	1574: 23	1694: 32	1814: 28	1934: 28
1096: 18	1216: 21	1336: 25	1456: 34	1576: 26	1696: 28	1816: 27	1936: 33
1098: 40	1218: 49	1338: 45	1458: 48	1578: 47	1698: 52	1818: 53	1938: 65
1100: 28	1220: 27	1340: 27	1460: 33	1580: 31	1700: 34	1820: 46	1940: 41
1102: 24	1222: 25	1342: 27	1462: 29	1582: 34	1702: 30	1822: 27	1942: 30
1104: 44	1224: 45	1344: 54	1464: 47	1584: 58	1704: 55	1824: 58	1944: 58
1106: 25	1226: 22	1346: 25	1466: 25	1586: 28	1706: 30	1826: 33	1946: 34
1108: 25	1228: 22	1348: 22	1468: 24	1588: 26	1708: 32	1828: 29	1948: 31
1110: 54	1230: 55	1350: 60	1470: 73	1590: 71	1710: 78	1830: 76	1950: 83
1112: 16	1232: 28	1352: 22	1472: 22	1592: 25	1712: 26	1832: 25	1952: 29
1114: 23	1234: 25	1354: 21	1474: 30	1594: 27	1714: 27	1834: 34	1954: 35
1116: 41	1236: 42	1356: 41	1476: 51	1596: 64	1716: 68	1836: 62	1956: 53
1118: 22	1238: 18	1358: 24	1478: 26	1598: 24	1718: 21	1838: 28	1958: 27
1120: 34	1240: 34	1360: 33	1480: 34	1600: 36	1720: 38	1840: 37	1960: 48
1122: 47	1242: 44	1362: 44	1482: 52	1602: 53	1722: 64	1842: 54	1962: 56
1124: 19	1244: 23	1364: 27	1484: 29	1604: 23	1724: 29	1844: 32	1964: 26
1126: 23	1246: 26	1366: 27	1486: 25	1606: 30	1726: 31	1846: 28	1966: 29
1128: 39	1248: 45	1368: 48	1488: 52	1608: 47	1728: 53	1848: 70	1968: 62
1130: 26	1250: 28	1370: 28	1490: 31	1610: 42	1730: 36	1850: 38	1970: 38
1132: 22	1252: 23	1372: 27	1492: 27	1612: 35	1732: 25	1852: 28	1972: 32
1134: 49	1254: 51	1374: 47	1494: 50	1614: 53	1734: 55	1854: 54	1974: 71
1136: 23	1256: 20	1376: 23	1496: 28	1616: 27	1736: 35	1856: 32	1976: 33
1138: 20	1258: 21	1378: 27	1498: 32	1618: 32	1738: 33	1858: 29	1978: 32
1140: 58	1260: 68	1380: 61	1500: 67	1620: 65	1740: 76	1860: 76	1980: 82
1142: 18	1262: 22	1382: 20	1502: 27	1622: 24	1742: 25	1862: 34	1982: 30
1144: 24	1264: 26	1384: 24	1504: 27	1624: 35	1744: 33	1864: 32	1984: 32
1146: 38	1266: 42	1386: 59	1506: 51	1626: 55	1746: 55	1866: 53	1986: 58
1148: 26	1268: 21	1388: 20	1508: 25	1628: 29	1748: 25	1868: 28	1988: 30
1150: 27	1270: 27	1390: 30	1510: 33	1630: 40	1750: 48	1870: 43	1990: 42
1152: 36	1272: 40	1392: 44	1512: 59	1632: 60	1752: 52	1872: 58	1992: 59
1154: 19	1274: 26	1394: 24	1514: 23	1634: 27	1754: 27	1874: 30	1994: 27
1156: 22	1276: 25	1396: 24	1516: 26	1636: 27	1756: 30	1876: 36	1996: 28
1158: 42	1278: 42	1398: 45	1518: 56	1638: 67	1758: 55	1878: 61	1998: 56
1160: 29	1280: 27	1400: 34	1520: 31	1640: 35	1760: 41	1880: 38	2000: 37
1162: 25	1282: 26	1402: 27	1522: 27	1642: 27	1762: 29	1882: 33	
1164: 43	1284: 46	1404: 48	1524: 48	1644: 52	1764: 69	1884: 61	
1166: 24	1286: 22	1406: 23	1526: 28	1646: 26	1766: 32	1886: 30	
1168: 22	1288: 29	1408: 25	1528: 27	1648: 28	1768: 31	1888: 28	
1170: 58	1290: 60	1410: 58	1530: 69	1650: 76	1770: 73	1890: 91	
1172: 18	1292: 23	1412: 18	1532: 22	1652: 28	1772: 28	1892: 35	
1174: 22	1294: 26	1414: 30	1534: 32	1654: 31	1774: 27	1894: 32	
1176: 49	1296: 49	1416: 47	1536: 47	1656: 55	1776: 53	1896: 63	
1178: 19	1298: 20	1418: 20	1538: 26	1658: 27	1778: 33	1898: 33	
1180: 26	1300: 33	1420: 34	1540: 46	1660: 39	1780: 37	1900: 36	
1182: 40	1302: 53	1422: 41	1542: 46	1662: 54	1782: 59	1902: 55	
1184: 20	1304: 24	1424: 22	1544: 21	1664: 28	1784: 25	1904: 36	
1186: 20	1306: 24	1426: 23	1546: 30	1666: 34	1786: 30	1906: 30	
1188: 43	1308: 46	1428: 57	1548: 51	1668: 53	1788: 52	1908: 58	
1190: 33	1310: 30	1430: 35	1550: 31	1670: 37	1790: 36	1910: 36	
1192: 23	1312: 23	1432: 25	1552: 28	1672: 35	1792: 36	1912: 30	
1194: 45	1314: 46	1434: 50	1554: 62	1674: 56	1794: 66	1914: 66	
1196: 24	1316: 27	1436: 22	1556: 24	1676: 28	1796: 31	1916: 28	
1198: 24	1318: 26	1438: 23	1558: 25	1678: 31	1798: 27	1918: 35	
1200: 54	1320: 66	1440: 60	1560: 72	1680: 83	1800: 75	1920: 81	
16	18	18	20	23	24	25	26

Table 44: # of Prime Partitions (PPsets)

This compiled table presents the sum ( $\Sigma$ ) of the number (#) of PRIME Partitions— PPsets — for successive EVENS from Table 43. Reference: <http://utenti.quipo.it/base5/numeri/jsgolbachpartiz.htm> in Google Translate.

Lowest  $\Sigma$  of PPsets in Column highlighted in gray.

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