



PN =  $xz = p^*p$   
 These may be "containers" only (BLUE) or true PN.

True PN (RED-BLUE) = a cell value on the Row + the PD value.  
 The Row cell value = the Complement Rectangle (CR) and the PD value =  $x^2$  = Perfect Number Square (PNS), where x is the Row Axis value. y is the Column Axis value, z is the value where x and y intercept. This is on the ODD 1st Parallel Diagonal next to the Prime Diagonal (PD).

Thus  $CR + PNS = xy + x^2 = PN$   
 CR (RED) is found at the number of STEPS from the  $\sqrt{\text{Row Axis}}$ , e.i. Row 4,  $x=4$ ,  $y=3$ ,  $z=x+y=7$ ,  $x^2 = 4^2 = 16$ ,  $CR=12$  @  $\sqrt{4}=2$  STEPS.

ROW 4: 15 12 7 16  
 One can also just subtract the Row Axis value from it  $x^2 = CR$ , e.i.  $16-4=12$ .

ONLY True PN (RED-BLUE) Rows – not "containers" only – do this!  
 p, x, y, z,  $x^2$ , xy, xz, yz,  $y^2$  can all be found at or near the Axis Row and  $z^2$  can be found directly above the next-z, giving all the ten (10) parameters for each Mersenne Prime Square (MPS).

$$p = \frac{\ln(2x)}{\ln(2)}$$

$$p = \frac{\ln(x^2)}{\ln(2)} + 1$$

$$PN = \frac{\ln(2x)}{\ln(2)} \cdot \left( \frac{\ln(x^2)}{\ln(2)} + 1 \right)$$

$$PN = \frac{\ln(2x)}{\ln(2)} \cdot \left( \frac{\ln(x^2)}{\ln(2)} + 1 \right) = xz$$

$$x = 2^p / 2$$

$$2x = 2^p$$

$$z = 2x - 1$$

$$x = (z + 1) / 2$$

$$2^p = (z + 1)$$

$$2^p = z + 1$$

Add z+1, then take log/log=p  
 starts = z, then add +1

log 4 / log 2 = 2  
 log 8 / log 2 = 3  
 log 16 / log 2 = 4  
 log 32 / log 2 = 5  
 log 64 / log 2 = 6  
 log 128 / log 2 = 7  
 log 256 / log 2 = 8  
 log 512 / log 2 = 9  
 log 1024 / log 2 = 10  
 log 2048 / log 2 = 11  
 log 4096 / log 2 = 12  
 log 8192 / log 2 = 13

$x = \frac{z+1}{2}$

Only  $\sqrt{x}$  Need Apply

The first four Mersenne PRIME - Perfect Number Squares on the BIM